

Decision Support for an Optimal Choice of Subsidised Routes in Air Transportation

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Introduction

- Deregulation led to lack of air service along routes with insufficient demand
- Countries adopted subsidy schemes to guarantee accessibility for small communities
- Subsidy schemes are implemented based on defined criteria:
 - Accessibility to a major city, advanced health care, an international airport, etc.
 - Related to a time target e.g., 4 hours

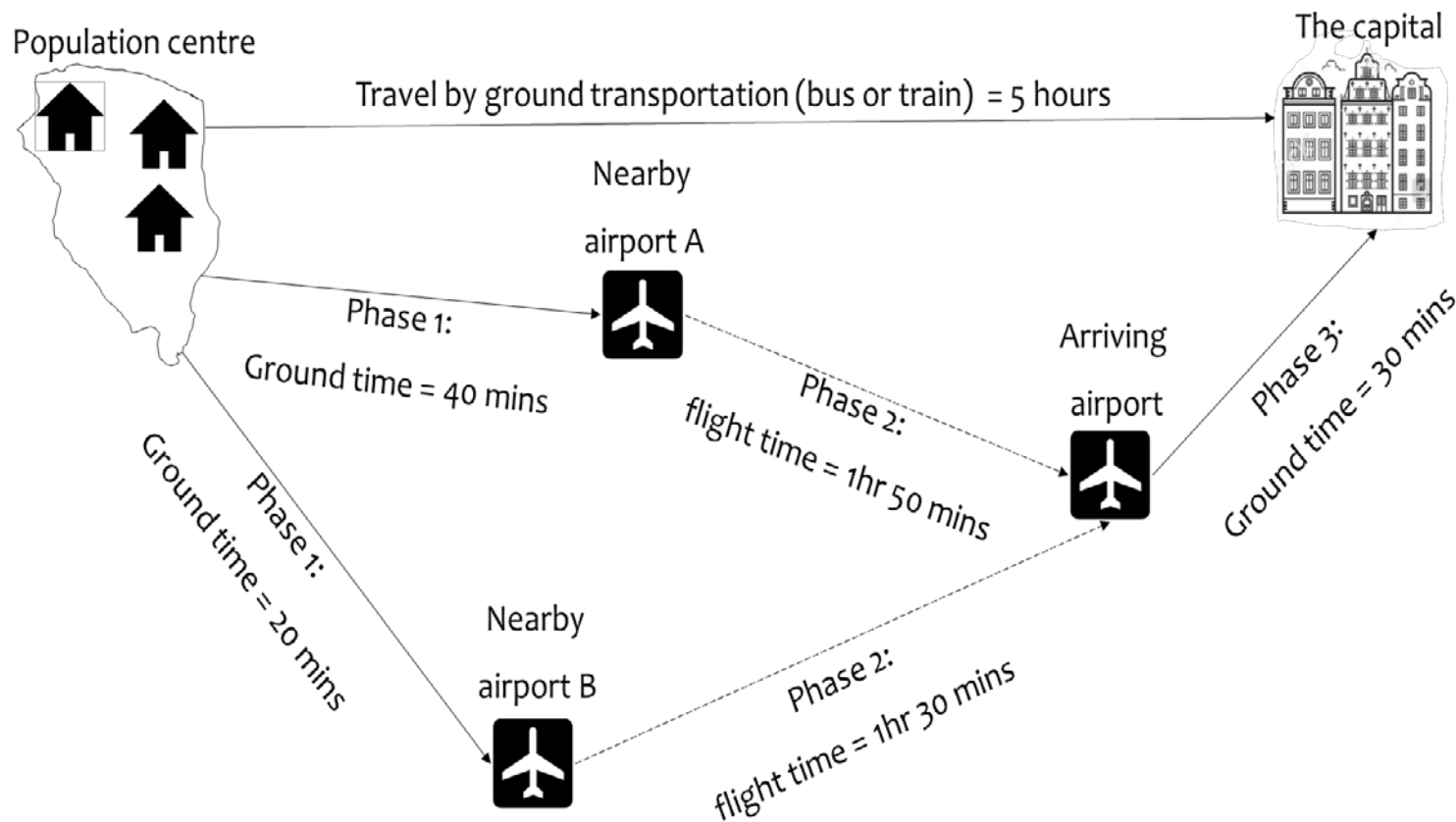
Aim of the study

- Develop a decision support tool that can assist decision makers select an optimal network of subsidised routes
- How?
 1. Assumptions
 2. Estimate the cost of subsidising a route
 3. Use a budget constrained optimisation model
 4. Assess both the current and optimal network of subsidised routes

Related work

- Flynn and Ratick (1988)
 - Maximised coverage and minimise the system-wide cost
 - Used Euclidean distance
 - Applied to the US
- Pita et al. (2014)
 - A socially oriented flight scheduling and fleet-assignment optimisation model
 - Minimise social cost
 - Applied to Norway

Model assumptions



- Three phases of a journey
- The transportation mode offering the shortest travel time is chosen
- Given target time
- Evaluate the suggested networks by the associated increase in the number of people served

Estimate the cost of subsidising a route

- Subsidisation cost (c_f) depends on the total route-ticket revenue ($f(\text{Demand})$) and the route operating cost ($f(\text{Available Seat Miles}, \text{number of legs})$)
- $c_f = A + B \times \text{legs} + D \times \text{Demand} + C \times \text{ASM}$



New routes Demand:

- Catchment size
- Ground-flight time
- Number of flights

Binary IP for MaxCoverage

$$\text{Max } Z = \sum_{p \in P} D_p y_p$$

Subject to:

$$y_p \leq \sum_{f \in F} A_{pf} x_f \quad \forall p \in P$$

$$\sum_{f \in F} c_f x_f \leq B$$

$$\sum_{f \in O_{fk}} x_f \leq 1 \quad \forall k \in K$$

$$y_p \in \{0,1\} \quad \forall p \in P$$

$$x_f \in \{0,1\} \quad \forall f \in F$$

- p – population centres
- route f with cost c_f
- B – Budget
- $x_f = 1$ if route f is selected
- $y_p = 1$ if p is covered

Each airport k has at most one route

Case study: Swedish PSO network

(1/2)

Accessibility Criterion	Target
To Stockholm	1. Less than 4 hours
	2. Less than 5 hours
	3. Prioritise 5 hours over 4 hours
To an international airport	4. Less than 4 hours
To Stockholm and an international airport	5. Less than 4 hours to Stockholm and Less than 4 hours to an international airport

International airports



Case study: Swedish PSO network

(2/2)

- $c_f = A + B \times legs + D \times Demand + C \times ASM$
- $B = -1,228,000, C = -102, D = 3$
- More reasonable results with no constant A
- Re-estimated cost of current 11 PSO routes is SEK 120.4 million
- 11 PSO routes to Stockholm-Arlanda (2 direct routes)
- 799 possible PSO routes
- 2778 binary variables
- 3200 constraints

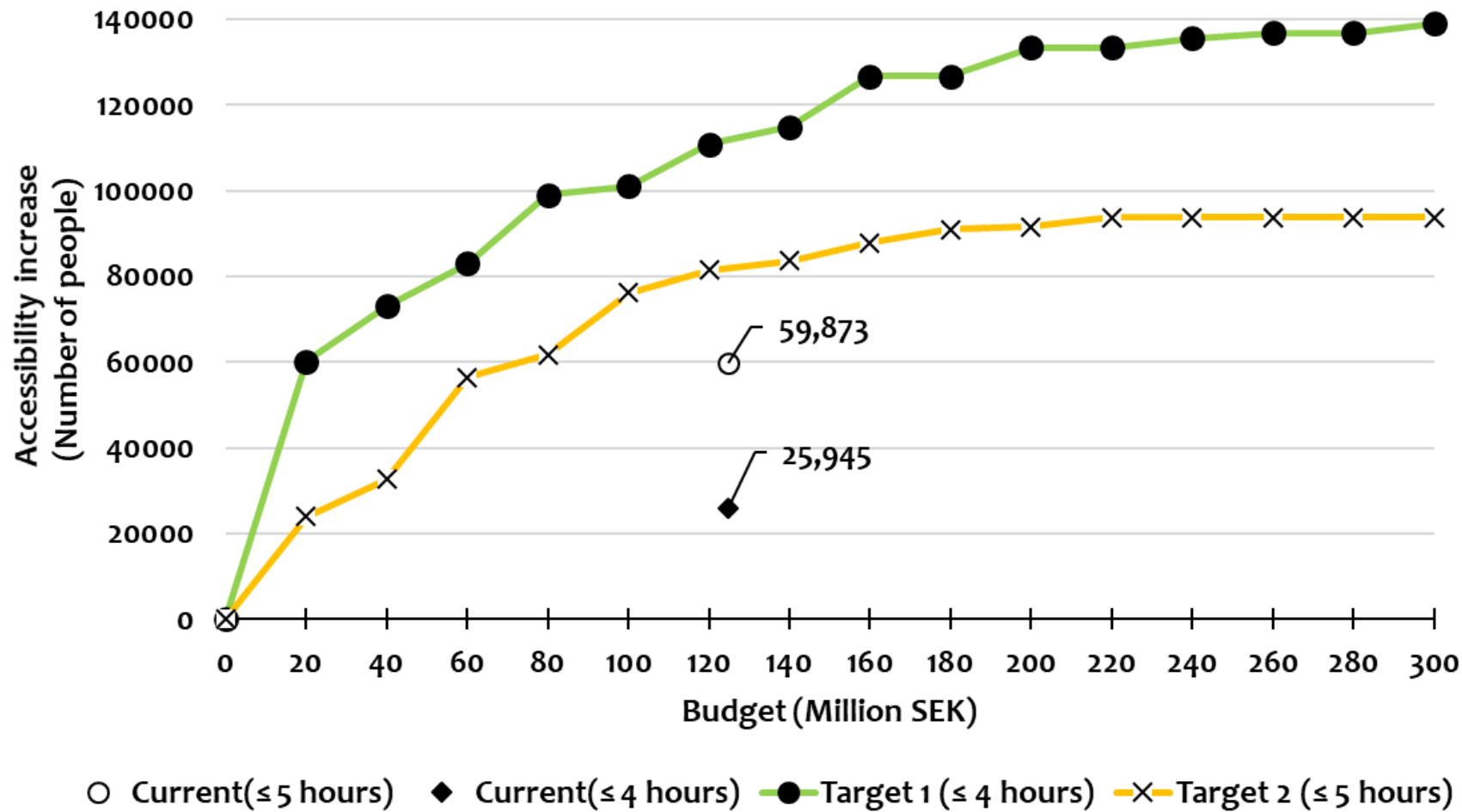
Results

1. How many people would need PSO routes
 - Accessibility without PSO routes
2. How many people with improved accessibility
 - Accessibility with current PSO routes
 - Accessibility with optimal PSO routes

Accessibility without PSO routes

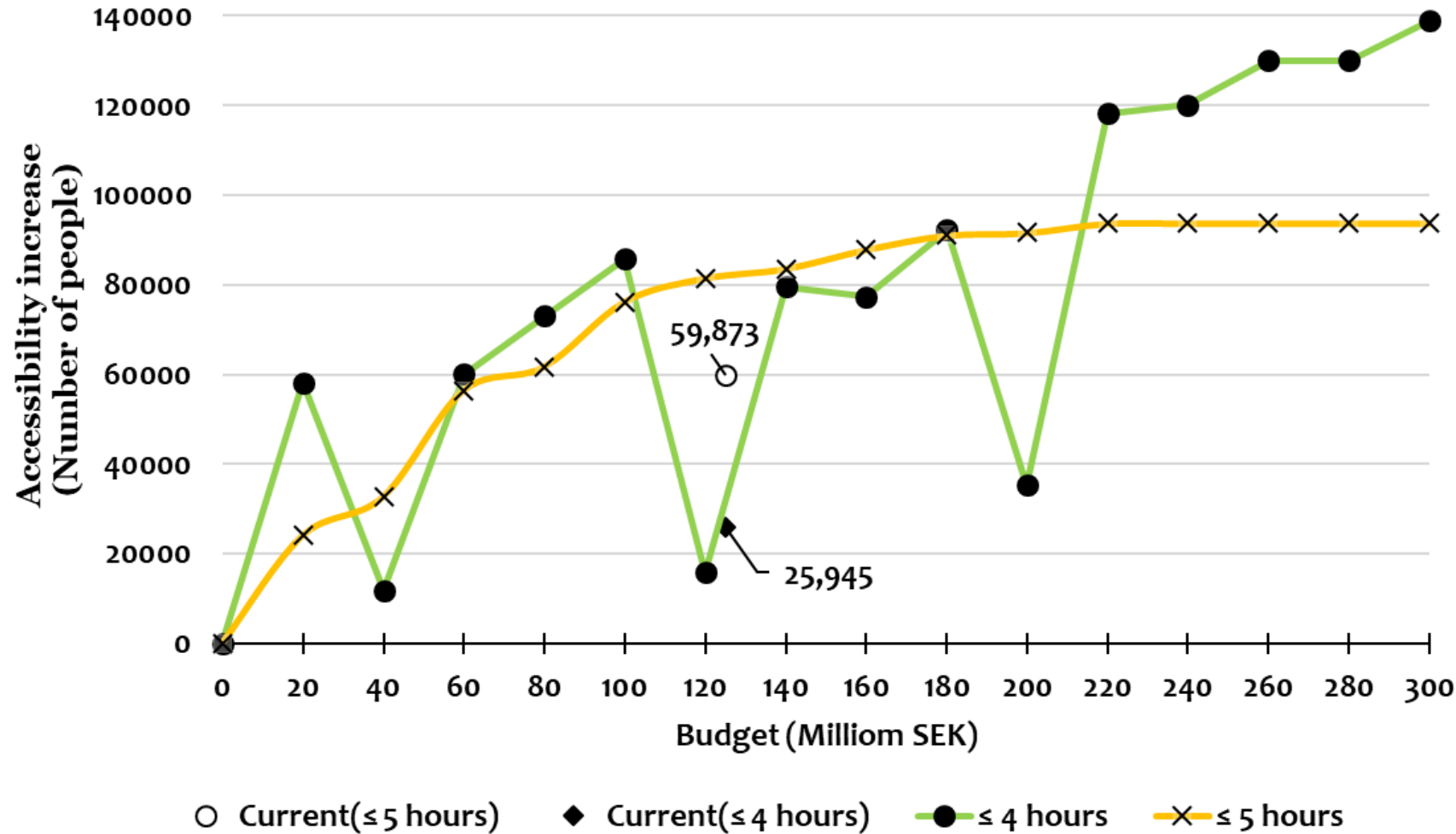
- To Stockholm within 4 and 5 hours
 - 97.04% and 99% can reach Stockholm within 4 and 5 hours respectively
 - The remaining 295,371 and 99,788 people, respectively need improved accessibility
- To an international airport within 4 hours
 - 88.71% do not need PSO routes
 - The remaining 1,126,603 people need improved accessibility
- The small communities and are a target for PSO routes

Accessibility to Stockholm within 4 and 5 hours (1/2)



Considered individually

Accessibility to Stockholm within 4 and 5 hours (2/2)



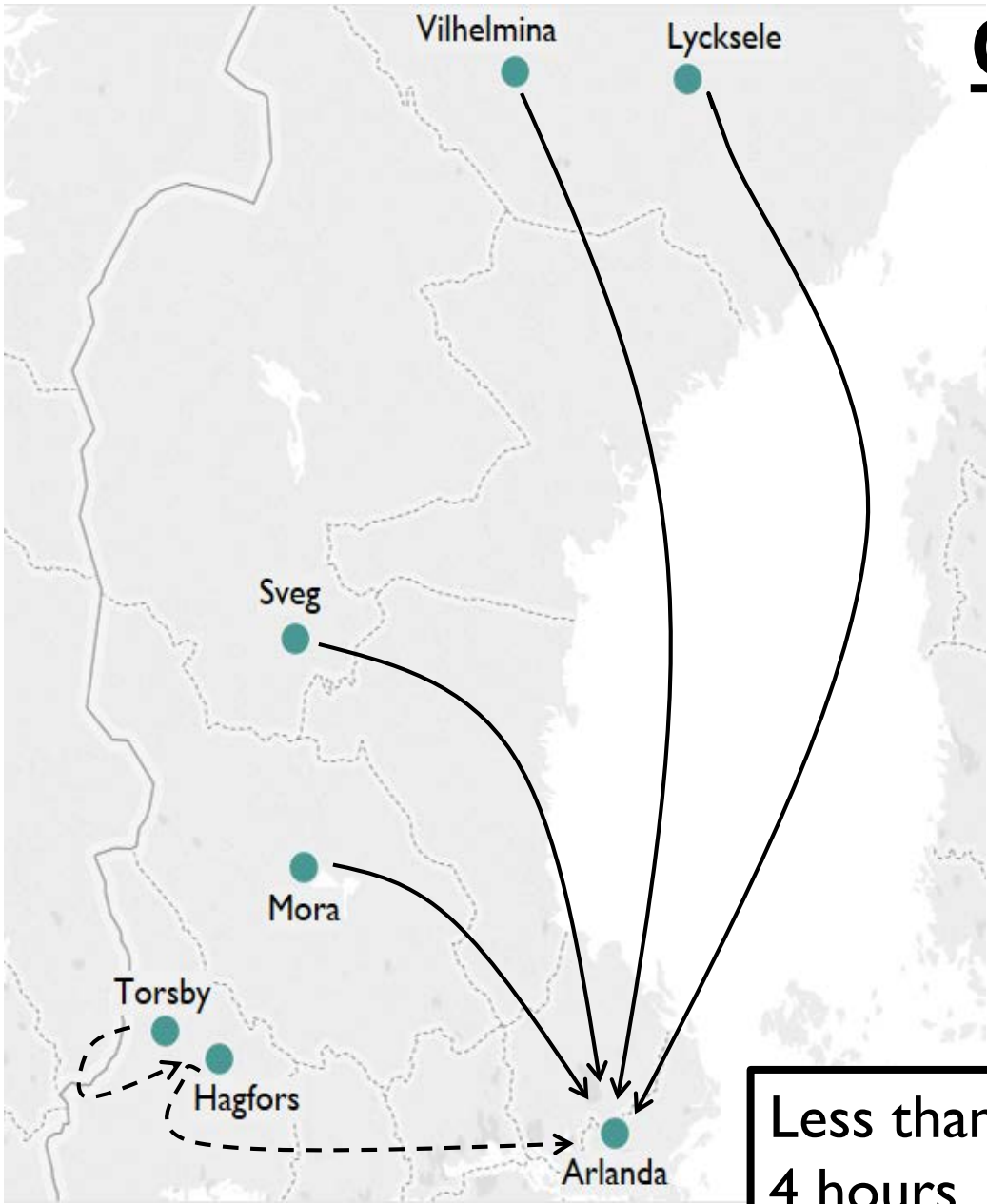
Prioritise 5 hours over 4 hours

Optimal routes

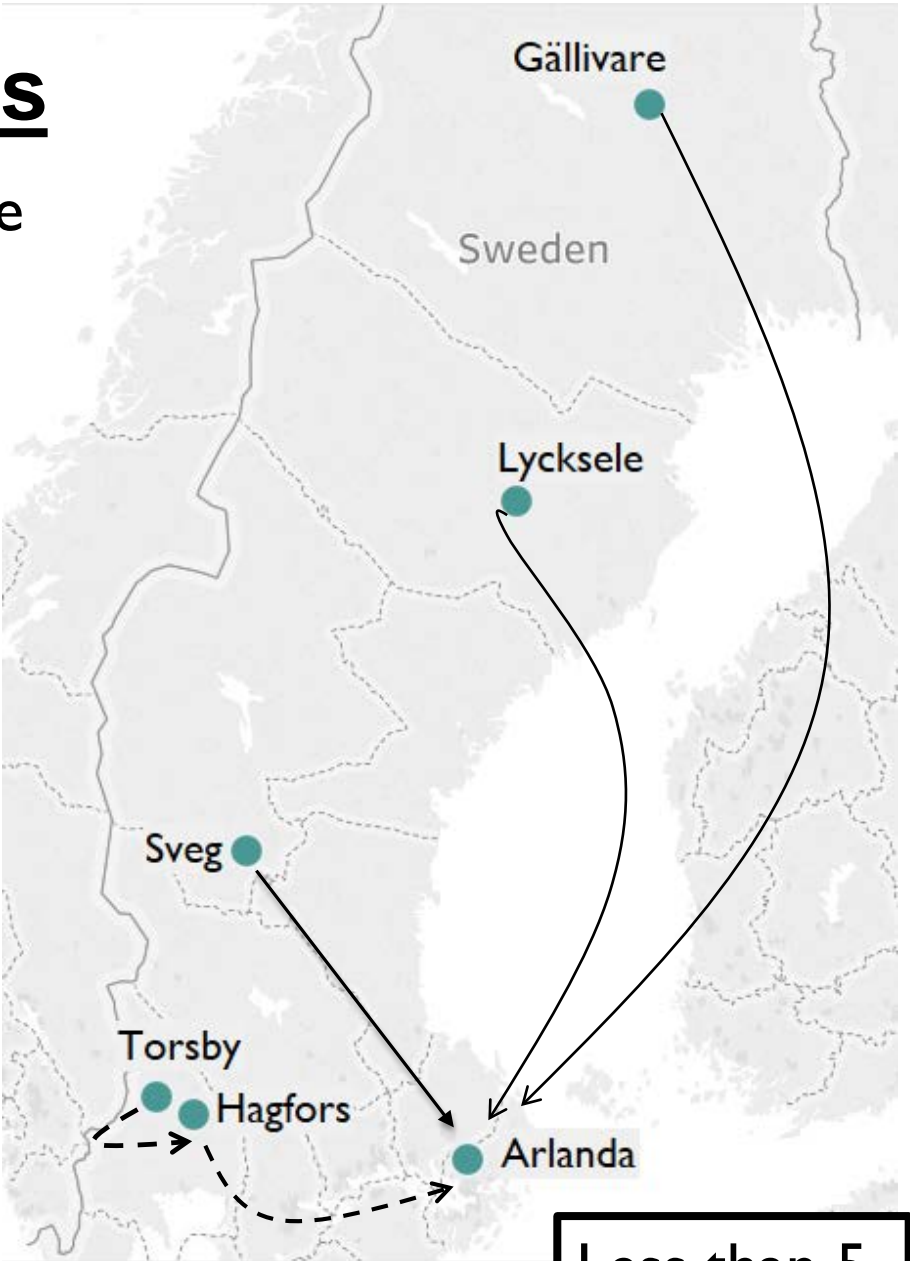
—————> Direct route

- - - - -> One-stop route

One stop routes appear with longer target times

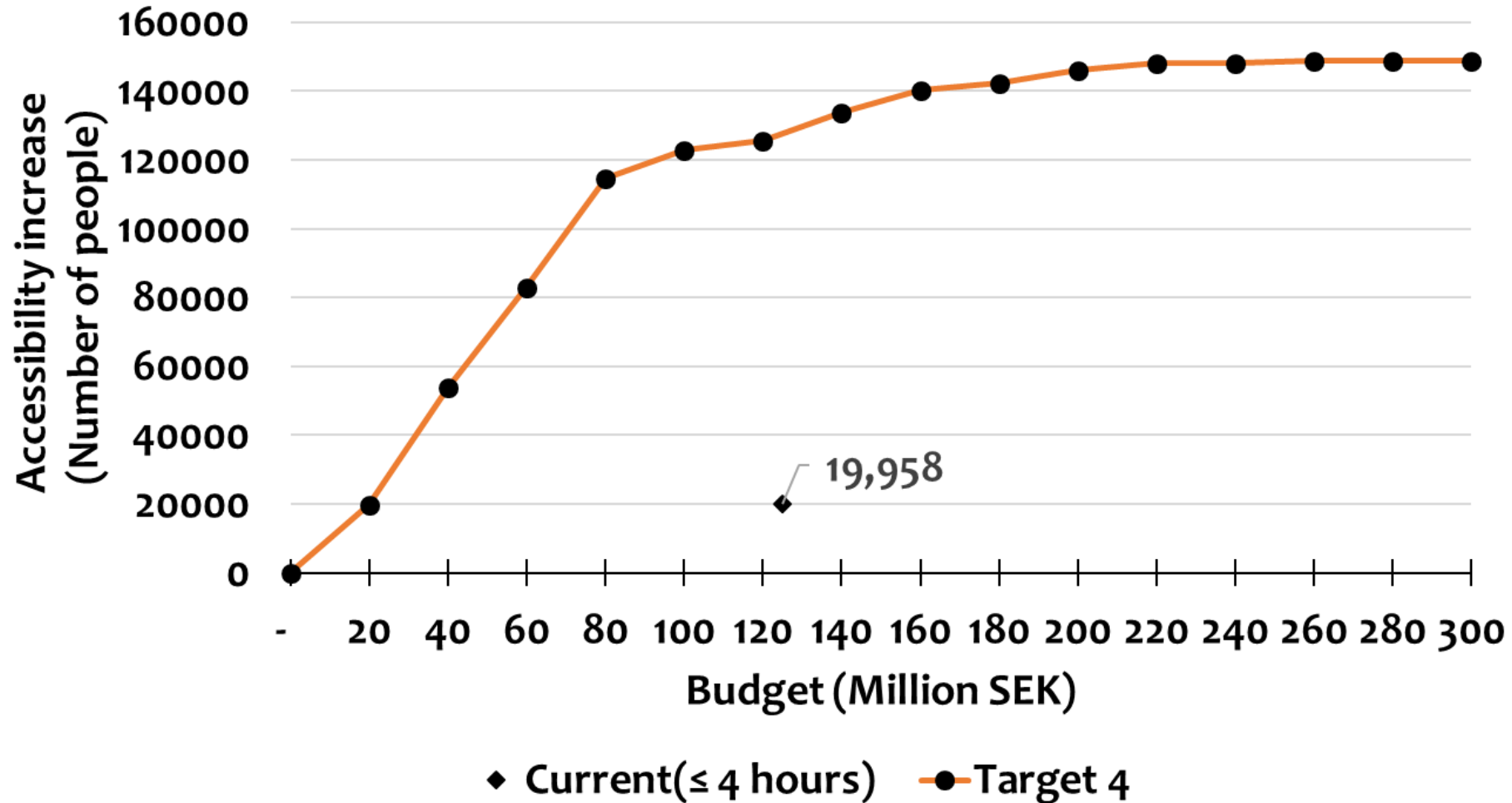


Less than 4 hours

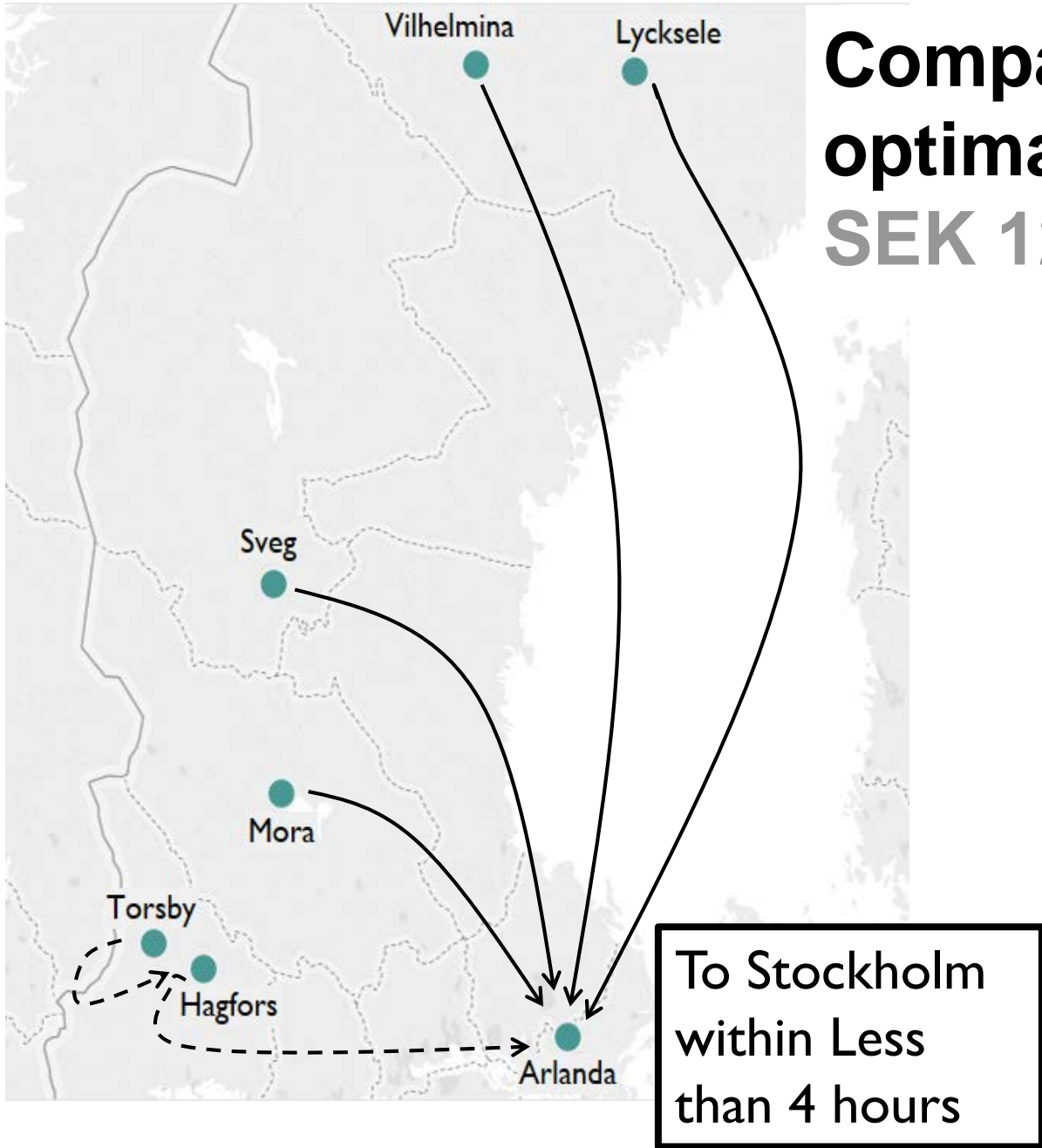


Less than 5 hours

Accessibility to an international airport within 4 hours



Comparison of optimal routes SEK 120 million



Conclusion

- Accessibility without PSO route is quite good for most population centres
- Good job by Trafikverket but the results indicate room for improvement
- An optimisation-based decision support tool can be used to evaluate subsidised route networks
- Possible application to other regions/countries

Further research

- Consider
 - Additional criteria
 - Setup cost on new routes
- A detailed flight scheduling
- Explore possibilities of other air traffic networks

Questions

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